

# Physical principles of gases relevant to hypoxic cell culture

What is "normoxia" in a cell culture incubator (gas phase)?

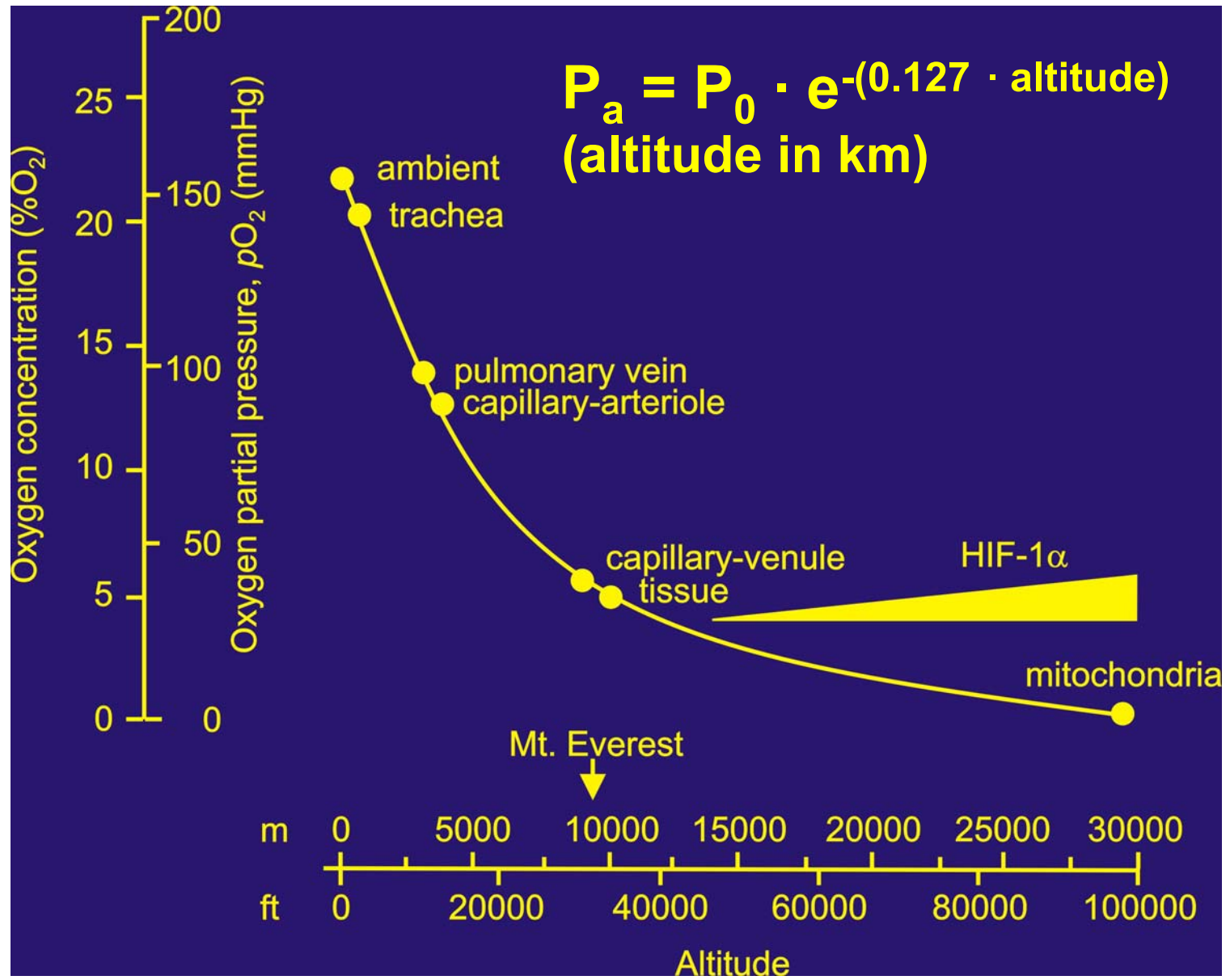
**Air:** 78% N<sub>2</sub>  
20.9% O<sub>2</sub> (v/v)  
1% others (noble gases, CO<sub>2</sub>, no H<sub>2</sub>O)  
independent of altitude!

**But in fact: 18.55% O<sub>2</sub> (in an incubator in Zürich)!  
→ why?**

**Dalton's law: "*gas partial pressures are additive*"**

**pH<sub>2</sub>O sat. = 47 mmHg (at 37°C)**

# Exponential decrease of air pressure with increasing altitude



# Subtraction of the water vapour

$$P_a = P_0 \cdot e^{-(0.127 \cdot \text{altitude})}$$

My lab in Zürich is at 500 m altitude:

$$P_a = 760 \cdot e^{-(0.127 \cdot 0.5)} = 713.24 \text{ mmHg}$$

(ignoring meteorological conditions)

$$713.24 - 47 = 666.24 \text{ mmHg}$$

→ the higher the altitude, the more  $p\text{H}_2\text{O}_g$  plays a role

## Subtraction of the CO<sub>2</sub>

normal CO<sub>2</sub> ~ 0.04%

incubator CO<sub>2</sub> = 5%

666.24 mmHg - 4.96% = 633.19 mmHg

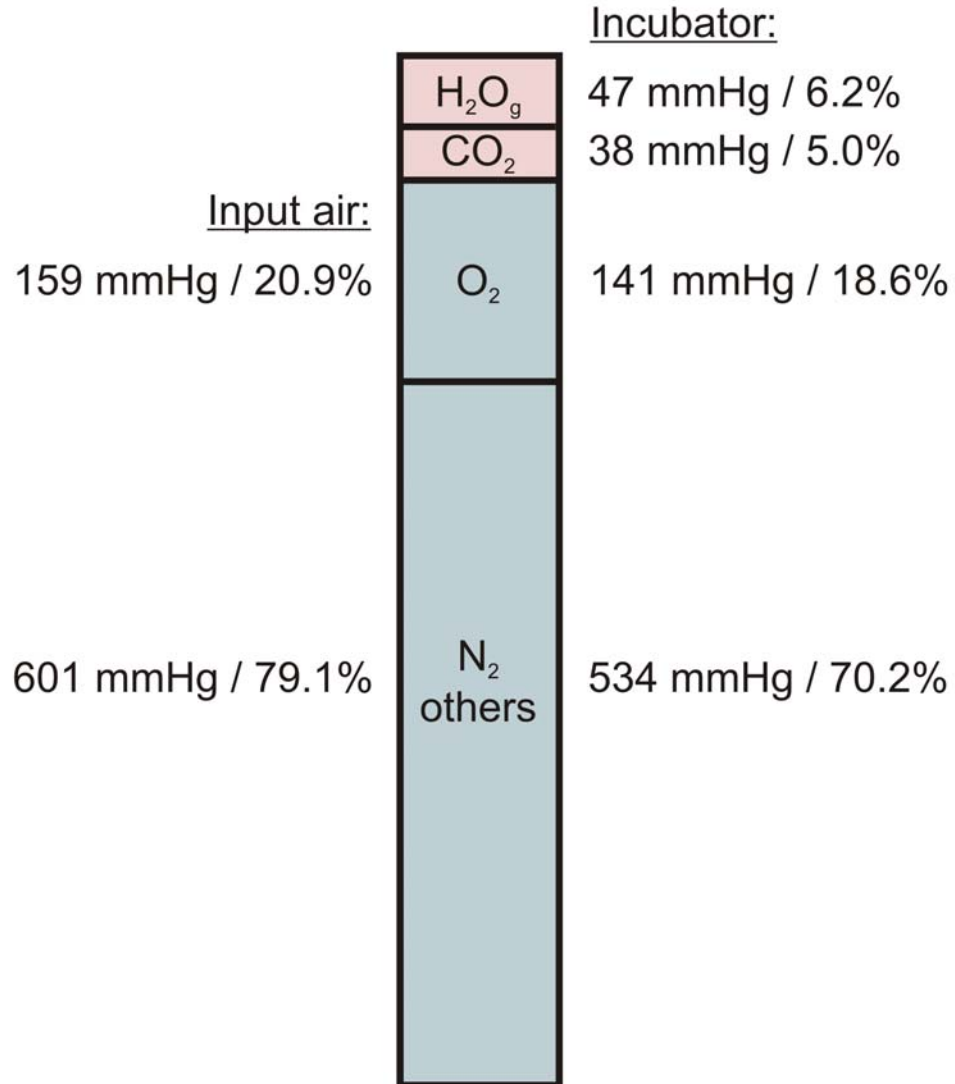
20.9% of 633.19 mmHg = 132.33 mmHg

132.33 of 713.24 = 18.55%

→ do not set your normoxic incubator at 20% oxygen...

# Summary: gas conditions in an incubator (now at sea level)

Total air pressure = 760 mmHg



## Gases in water (incubator at sea level)

Henry's law: " *$p_x$  in gas phase =  $p_x$  in liquid phase*"

$$\rightarrow p_{\text{O}_2} \text{ in H}_2\text{O} = 141 \text{ mmHg}$$

$$\rightarrow p_{\text{CO}_2} \text{ in H}_2\text{O} = 38 \text{ mmHg}$$

"*Gas concentration  $c_x$  is proportional to partial pressure  $p_x$* "

Bunsen's solubility constant  $\alpha_x$  :

$$c_x = \alpha_x \cdot p_x$$

$$\rightarrow c_{\text{O}_2} \text{ in H}_2\text{O} = 1.26 \mu\text{M/mmHg} \cdot 141 \text{ mmHg} = 177 \mu\text{M}$$

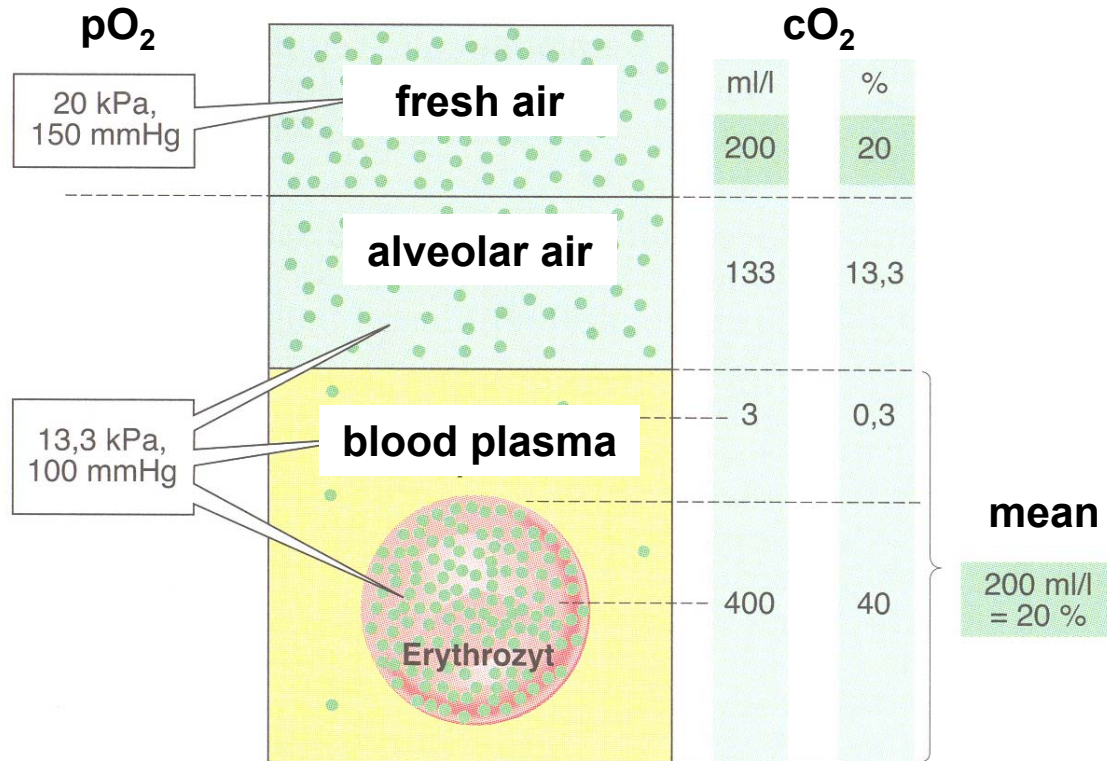
$$\rightarrow c_{\text{CO}_2} \text{ in H}_2\text{O} = 30.0 \mu\text{M/mmHg} \cdot 38 \text{ mmHg} = 1150 \mu\text{M}$$

→  $\text{CO}_2$  is approx. 24-fold better "physically" soluble than  $\text{O}_2$

(values are given for blood plasma at 37°C)

# Gases in water

**Attention: gas concentration in biological fluids!**



**$O_2$ : oxygen-binding proteins**

**$CO_2$ : chemical reaction with  $H_2O$  to  $HCO_3^-$  and  $H^+$**

**→ only  $pO_2$  but not  $cO_2$  is "sensed"**

## Gases in water

Fick's diffusion capacity  $D_x$ :

***"Gas diffusion is proportional to partial pressure difference"***

$$\delta V_x / \delta t = D_x \cdot \Delta p_x$$

$$D_x = D \cdot \alpha_x \cdot A \cdot d^{-1}$$

$D_x$  = diffusion coefficient

$\alpha_x$  = Bunsen solubility constant

A = contact area

d = distance

→ **CO<sub>2</sub> easily reaches the bottom of a dish whereas O<sub>2</sub> shows steep gradients!**

# Temperature effects on gases

**Ideal gas law:  $P \cdot V = n \cdot R \cdot T$**

$$\frac{V}{n} = R \frac{T_0}{P_0} = 22.4 \text{ l mol}^{-1}$$

**Standard conditions:**

$$T_0 = 0^\circ\text{C} = 273 \text{ K}$$

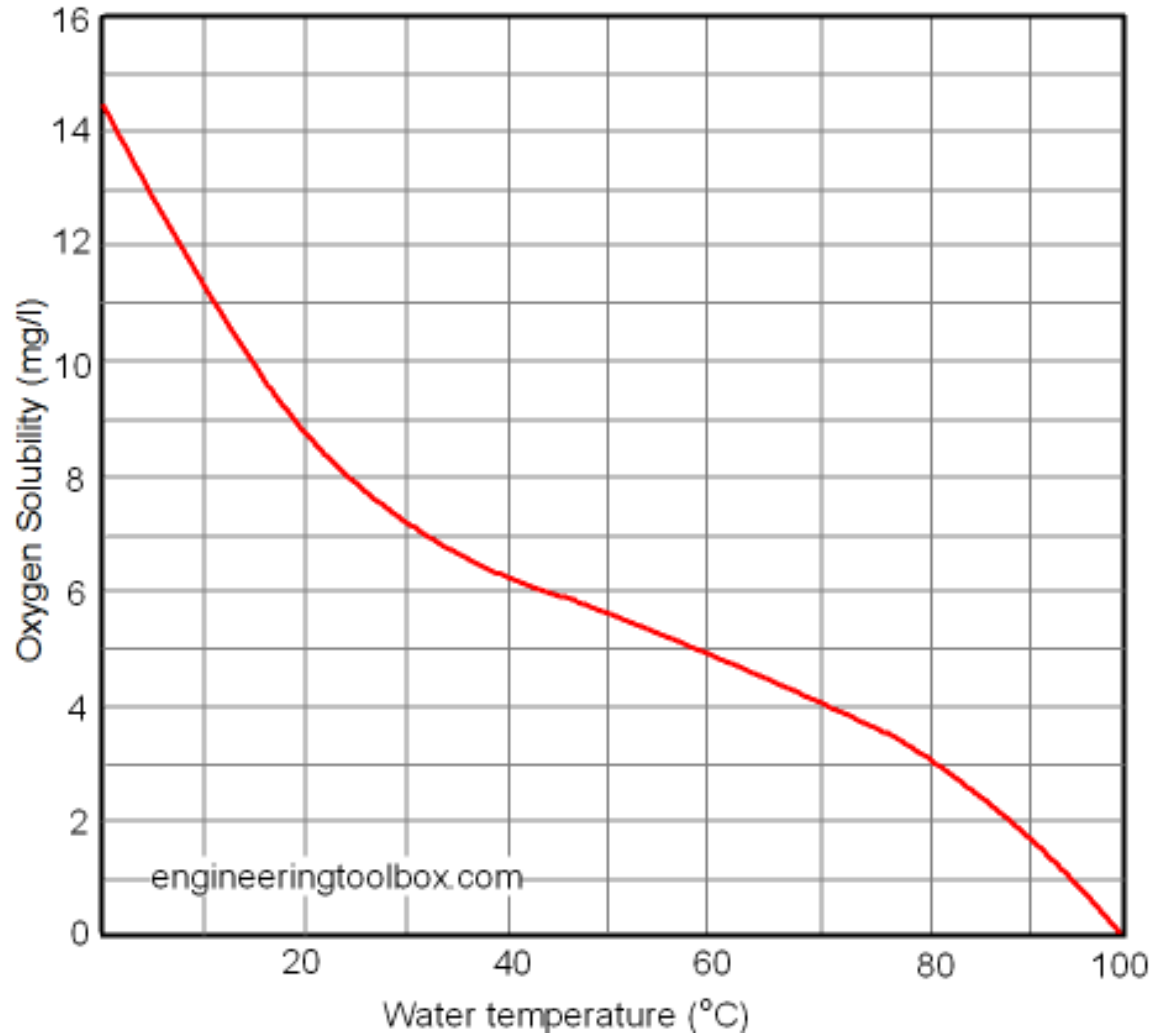
$$P_0 = 760 \text{ mmHg} = 101.3 \text{ kPa}$$

$$R = 8.31 \text{ l kPa mol}^{-1} \text{ K}^{-1}$$

$$n = 1 \text{ mole}$$

**→ Temperature affects volume**

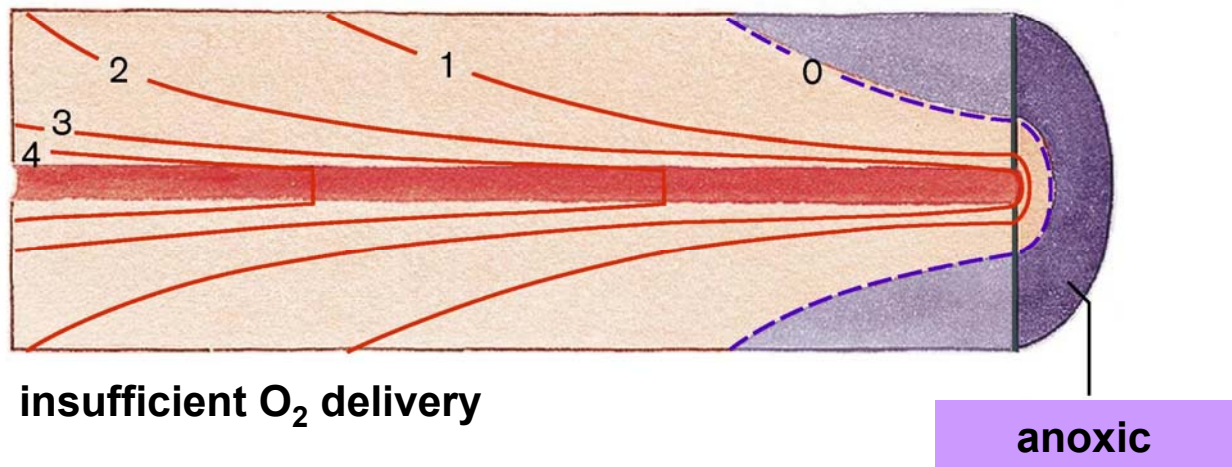
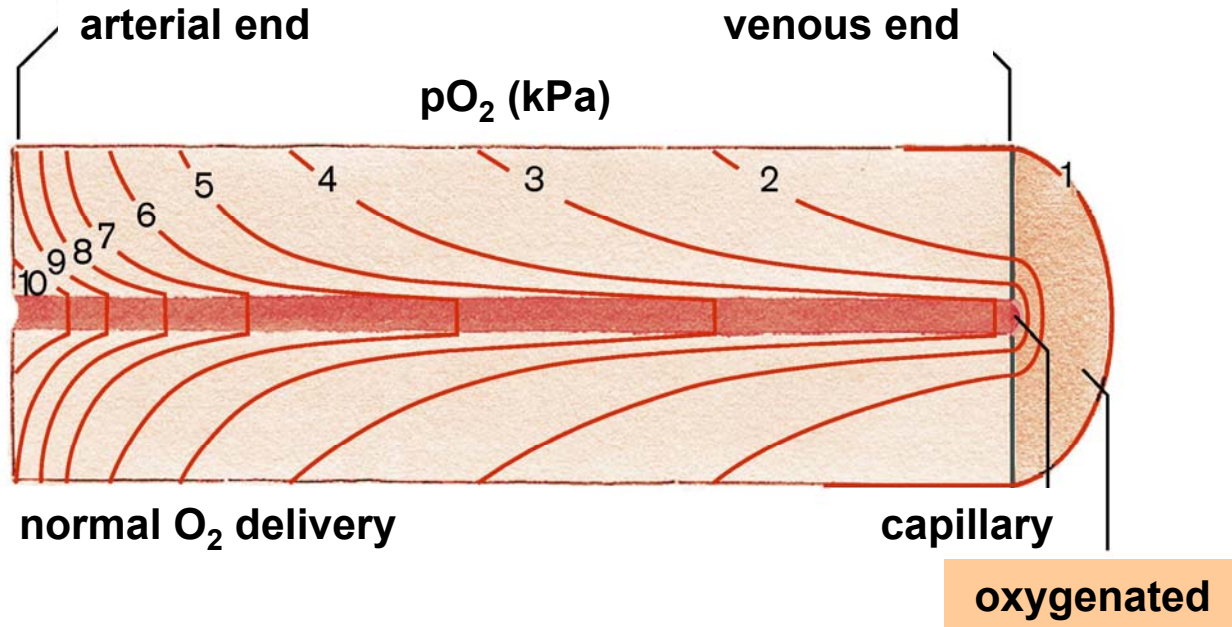
## Temperature effects on gases



→ **Temperature affects solubility, diffusion etc.**  
**Only relevant for measuring devices not working at 37°C.**

# What is the tissue $pO_2$ ?

**Krogh's  
tissue  
cylinder**



→ there is no single tissue  $pO_2$ !

# Pressure units

*(sorry for the use of non-standard mmHg!)*

Pressure units

	<b>Pascal (Pa)</b>	<b>Bar (bar)</b>	<b>Technical atmosphere (at)</b>	<b>Atmosphere (atm)</b>	<b>Torr (Torr)</b>	<b>Pound-force per square inch (psi)</b>
<b>1 Pa</b>	$\equiv 1 \text{ N/m}^2$	$10^{-5}$	$1.0197 \times 10^{-5}$	$9.8692 \times 10^{-6}$	$7.5006 \times 10^{-3}$	$145.04 \times 10^{-6}$
<b>1 bar</b>	100,000	$\equiv 10^6 \text{ dyn/cm}^2$	1.0197	0.98692	750.06	14.5037744
<b>1 at</b>	98,066.5	0.980665	$\equiv 1 \text{ kgf/cm}^2$	0.96784	735.56	14.223
<b>1 atm</b>	101,325	1.01325	1.0332	$\equiv 1 \text{ atm}$	760	14.696
<b>1 torr</b>	133.322	$1.3332 \times 10^{-3}$	$1.3595 \times 10^{-3}$	$1.3158 \times 10^{-3}$	$\equiv 1 \text{ Torr};$ $\approx 1 \text{ mmHg}$	$19.337 \times 10^{-3}$
<b>1 psi</b>	$6.894 \times 10^3$	$68.948 \times 10^{-3}$	$70.307 \times 10^{-3}$	$68.046 \times 10^{-3}$	51.715	$\equiv 1 \text{ lbf/in}^2$